

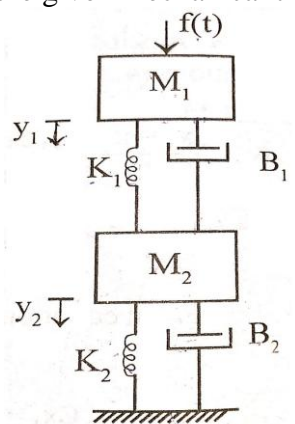


End Semester Examination – Nov/Dec – 2016

Code : **14EI3006**
Sub. Name : **DISCRETE CONTROL SYSTEMS**

Semester : **2016-17 ODD**
Duration : **3hrs**
Max. marks : **100**

ANSWER ALL QUESTIONS (5 x 20 = 100 Marks)

Q. No.	Sub Div.	Questions	Course Outcome	Marks
1.	a.	State and prove the any five properties of z-Transform.	CO1	5
	b.	Determine the Initial Value and Final value of the given z-domain signal $X(z) = \frac{1 - 3z^{-1}}{1 - 3.6z^{-1} + 1.8z^{-2}}$	CO1	5
	c.	Find out the one-sided z-transform for the given continuous time function. $x(t) = e^{-at} \cos \omega t$	CO1	10
(OR)				
2.	a.	Using Bilinear Transformation, find whether the given characteristic polynomial is stable or not. $z^3 - 0.2z^2 - 0.25z + 0.05 = 0$	CO1	10
	b.	Using Jury's Stability test, check for stability of the sampled data control system represented by the following Characteristic equation: $z^4 - 1.7z^3 + 1.04z^2 - 0.268z + 0.024 = 0$	CO1	10
3.	a.	Determine the state model of the system in Jordan Canonical form for the given discrete-time system transfer function. $\frac{Y(z)}{U(z)} = \frac{4z^3 - 12z^2 + 13z - 7}{(z-1)^2(z-2)}$	CO1	10
	b.	Construct the state model of the given mechanical translational system. 	CO1	10
(OR)				
4.	a.	Determine the State model in Canonical form and also for input $u(k)=1; k \geq 1$; find the output $y(k)$ for the given discrete time system which is described by the difference equation, $y(k+2) + 5y(k+1) + 6y(k) = u(k); y(0) = y(1) = 0; T = 1 \text{ sec.}$	CO2	13
	b.	Describe the State space representations of discrete time systems.	CO1	7
5.	a.	Consider the system $x(k+1)=Gx(k)+Hu(k)$,	CO3	15

		$G = \begin{bmatrix} -1 & 0 & 0 \\ 1 & -2 & 0 \\ 2 & 1 & -3 \end{bmatrix} H = \begin{bmatrix} 10 \\ 1 \\ 0 \end{bmatrix}$ <p>Determine the suitable state feedback gain matrix K using Ackermann's formula, such that the system will have the closed loop poles at $z = -1+j2, -1-j2, -6$.</p>		
	b.	<p>Check whether the given system is observable or not.</p> $G = \begin{bmatrix} -1 & 0 & 0 \\ 1 & -2 & 0 \\ 2 & 1 & -3 \end{bmatrix}; H = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}; C = [4 \quad 5 \quad 1]$	CO3	5
(OR)				
6.	a.	Describe about the Full order State Observer with the block diagram.	CO3	6
	b.	<p>Design a full-order state observer for the given system $x(k+1)=Gx(k)+Hu(k)$; $y(k)=Cx(k)$; where $G = \begin{bmatrix} 0 & -0.16 \\ 1 & -1 \end{bmatrix}$; $H = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$; $C = [0 \quad 1]$ and the desired eigen values of the observer matrix are $0.5 \pm j0.5$.</p>	CO3	10
	c.	<p>Check for Controllability for the given discrete time system, $x(k+1)=Gx(k)+Hu(k)$; $y(k)=Cx(k)$; where, $G = \begin{bmatrix} 0 & 1 \\ -0.16 & -1 \end{bmatrix}$; $H = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$</p>	CO3	4
7.		With necessary block diagrams, describe the various configurations of control systems design based on polynomial equations approach in detail.	CO2	20
(OR)				
8.	a.	Write brief notes on Diophantine Equation.	CO2	5
	b.	<p>Solve the Diophantine equation for the given Polynomial.</p> $A(z)=z^2+z+0.5; B(z)=z+2; D(z)=z^3$	CO2	15
		<u>Compulsory:</u>		
9.		Describe the hardware features of the design of a microprocessor based controller for a Position Control system.	CO3	20

ALL THE BEST

Course Outcome:

CO1: Appreciate the need for discrete time control systems

CO2: Design control system using polynomial equations approach.

CO3: Develop different types of digital control algorithm for a system.